

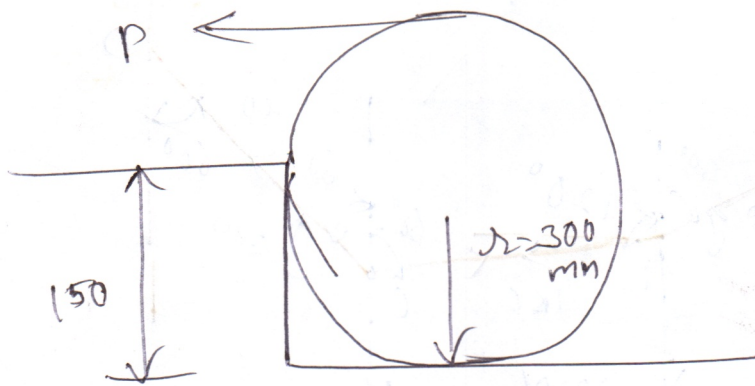
Assignment-2 UNIT-2

(1) (a) Explain Lamis theorem

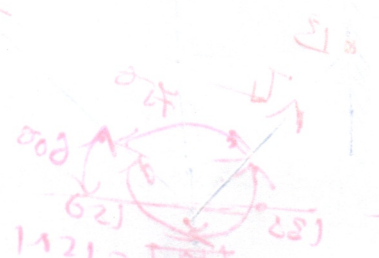
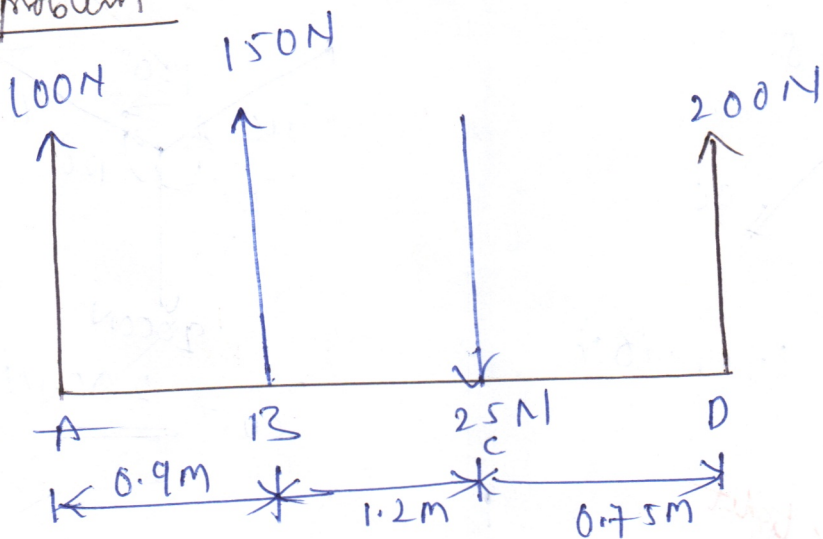
(b) problem NO:- 2

After
varignon's
theorem

A roller radius $r = 300\text{mm}$ & weight 2000N is to be pulled over a curb of height 150mm by a horizontal force 'P' applied to the end of a string wound tightly around the circumference of the roller. Find the magnitude of 'P' required to start the roller move over the curb. What is the least pull 'P' through the centre of the wheel to just turn the roller over the curb?

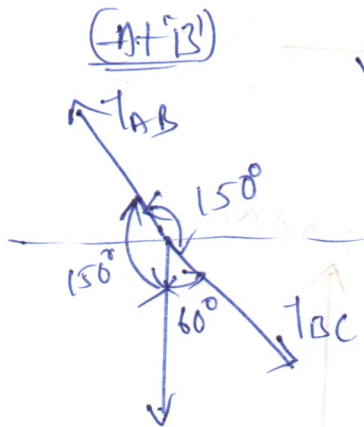
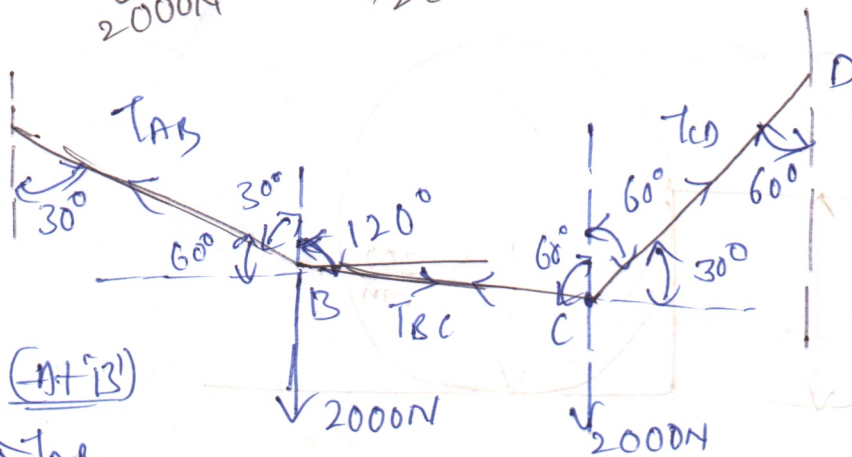
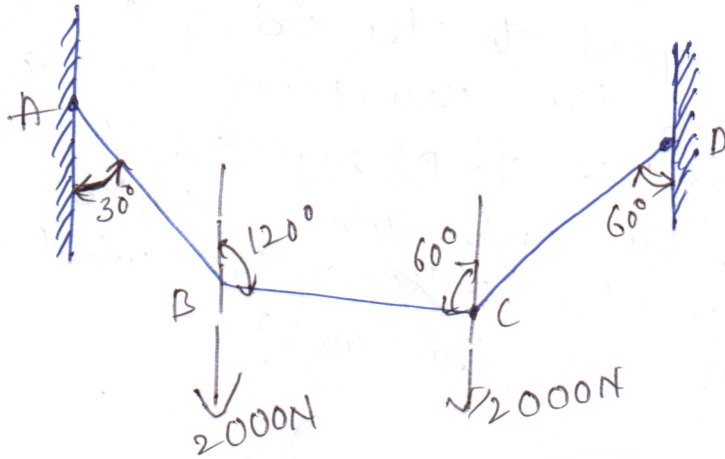


(c) (2)nd problem

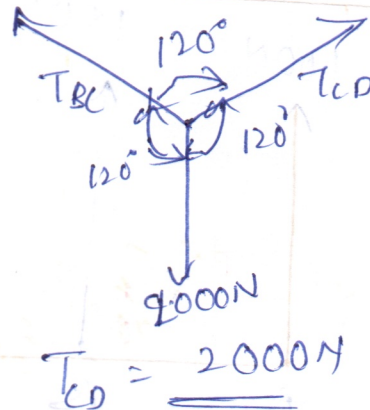


(2) (a) Draw the examples of free body diagrams.

(b) Two equal loads 2000 N are supported by a flexible string ABCD at points B & C. Find the tensions in the position AB, BC & CD of the string.



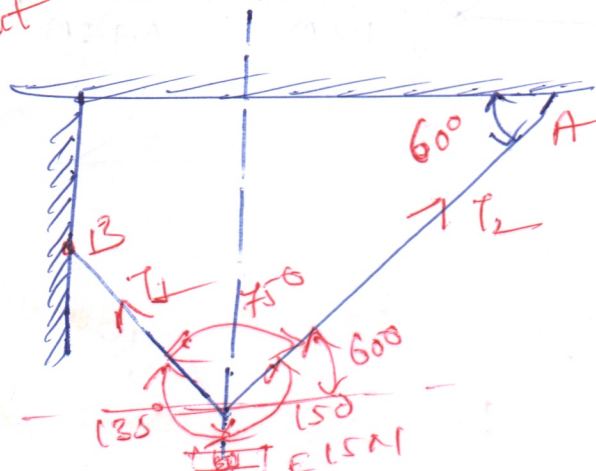
$$T_{AB} = 3464.10 \text{ N}$$



$$T_{CD} = 2000 \text{ N}$$

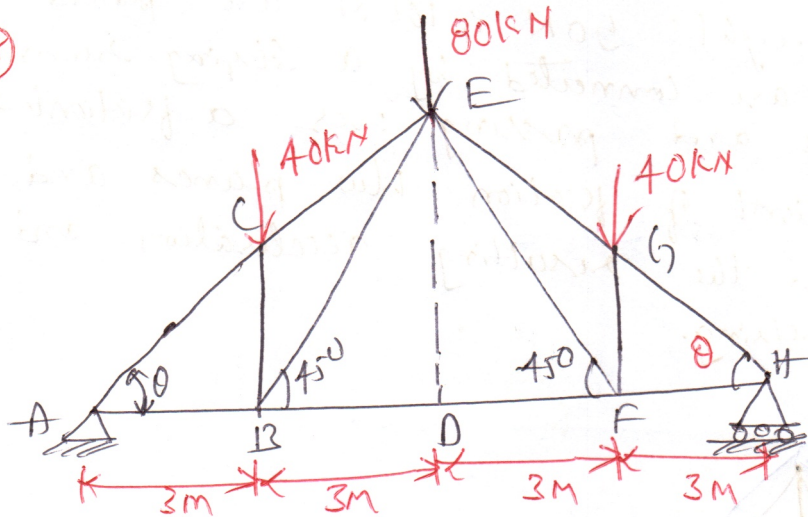
(c)

Electric light



(3)(a) Define truss & Examples
 (b) Types of Trusses & their Assumption of perfect truss

(c) FP 14
136E137

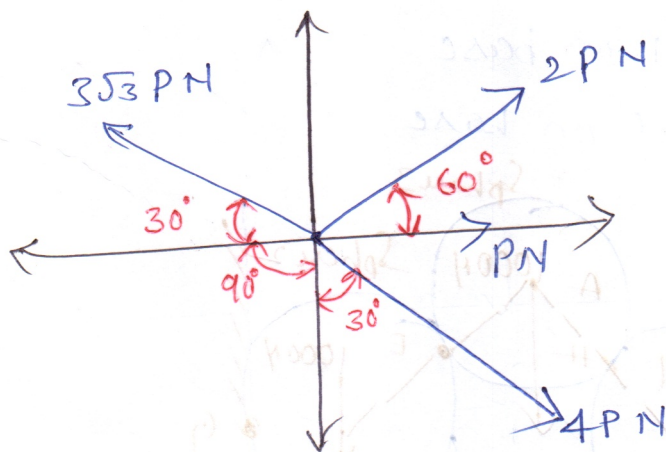


Assignment-3 unit-3

- (3)(a) Difference b/w Centroid & Centre of gravity
 (b) Centroids of some standard figures
 (c) Find the centroids of the following figures from the given 'x' & 'y' axes

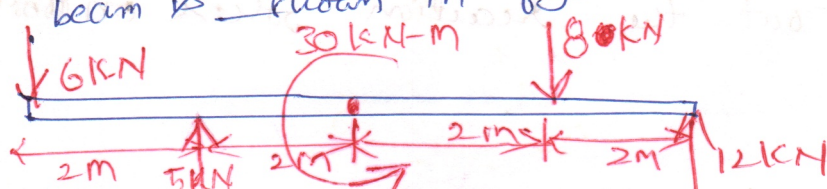
MID Questions

1) Find the magnitude & direction of resultant of concurrent forces as shown in figure

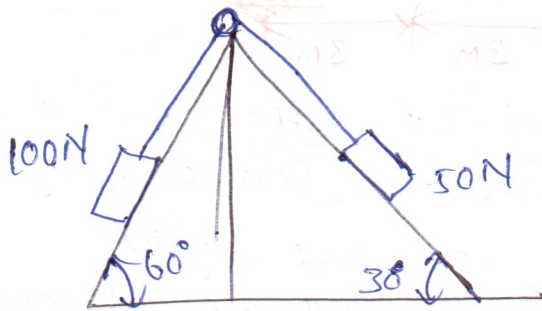


(a) Varignon's theorem (b) principle of moments, then apply these these theorems in these problem Determine and locate the resultant 'R' of the forces and one couple is acting on the beam as shown in figure

P34

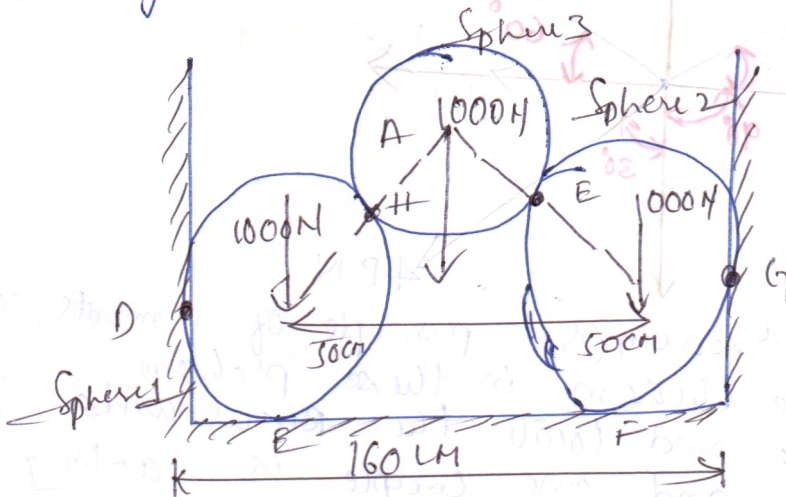


⑥ The rough planes inclined at 30° & 60° to horizontal are placed back to back as shown in figure. The blocks of weights 50 N & 100 N are placed on the faces and are connected by a string running parallel to planes and passing over a frictionless pulley. If the coefficient of friction b/w planes and blocks is $\frac{1}{3}$ find the resulting acceleration and tension in the string.

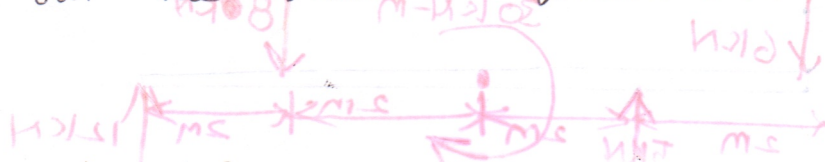


⑦ (a) Draw the FBD in below figure problem. Three spheres weighing 1000 N each & 60 cm in diameter are placed in a channel of 160 cm wide as shown in figure. Determine the pressures exerted by

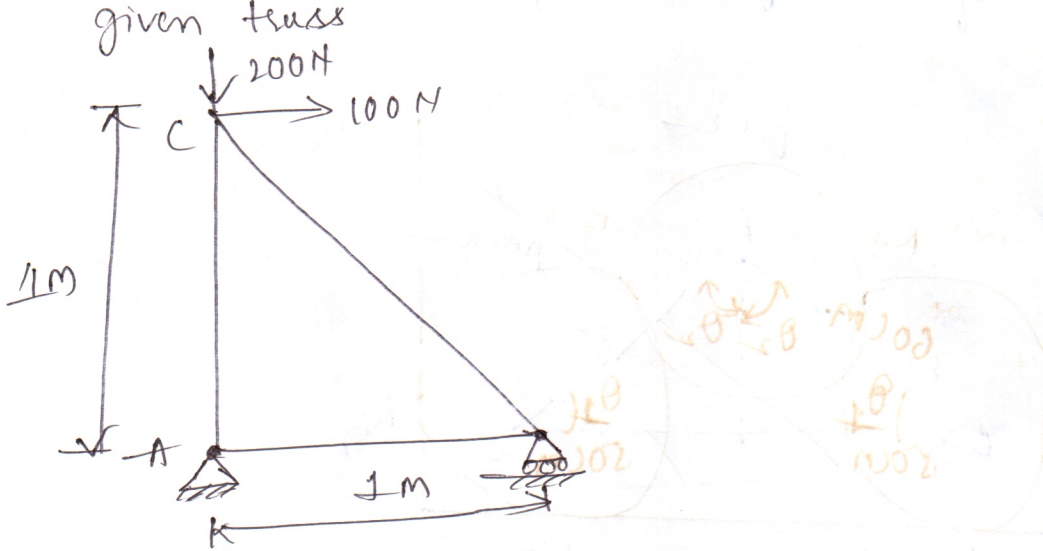
- 83
- (i) The cylinder 'A' on 'B'
 - (ii) The cylinder 'B' on base
 - (iii) The cylinder 'C' on base



(b) Find out the reaction forces on above problem (a)

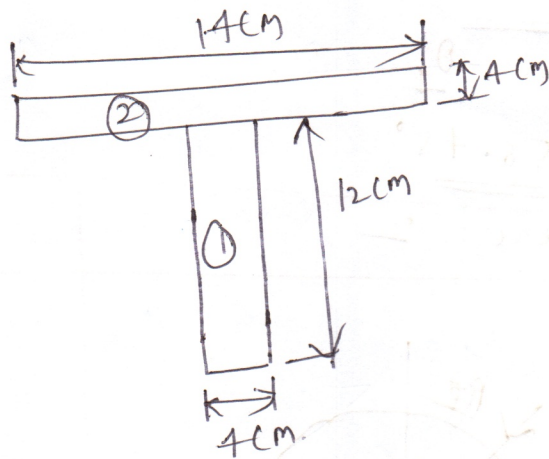


(c) Find the forces in the members of the given truss



(1) (a) Explaining methods for the determination of Centroid.

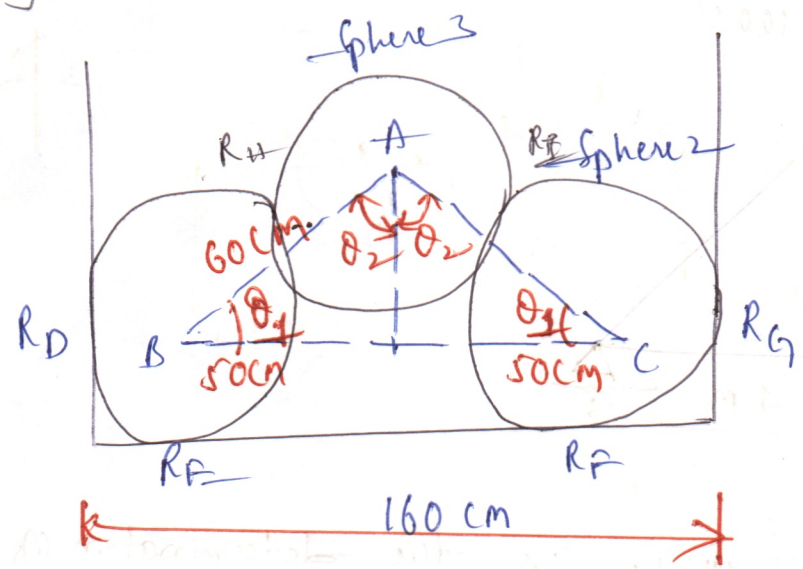
²⁰⁶ (b) Determine the Centroid of the following T-section



(c) Explain the two theorems of Pappus.

2(a) Ans FBD of the given system is shown in below

fig



From the above FBD

$$\cos \theta_1 = \frac{50}{60} \Rightarrow \theta_1 = \cos^{-1} \left(\frac{50}{60} \right)$$

$$\theta_1 = 33.55^\circ$$

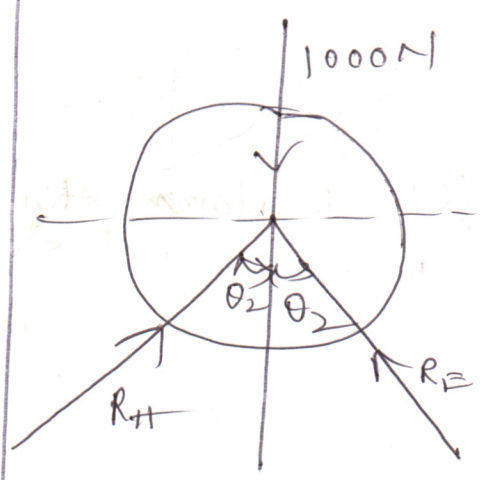
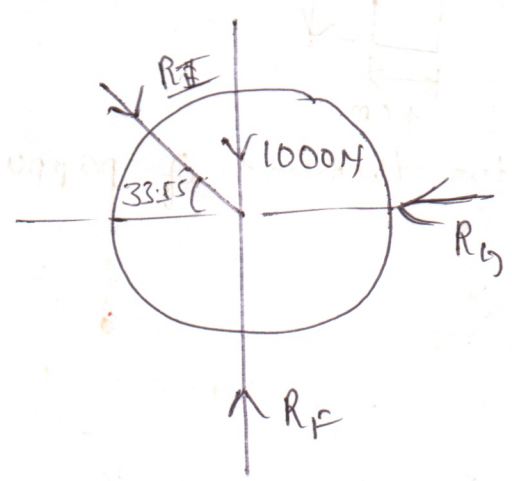
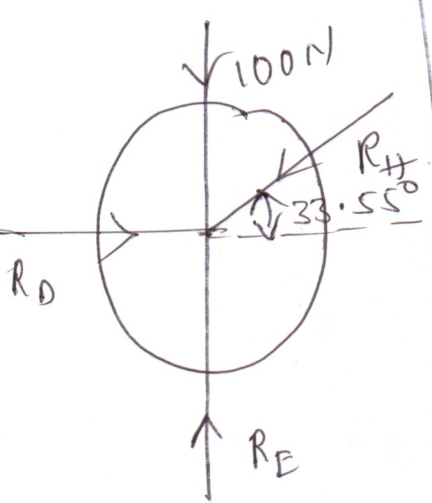
$$\theta_2 = 90 - \theta_1$$

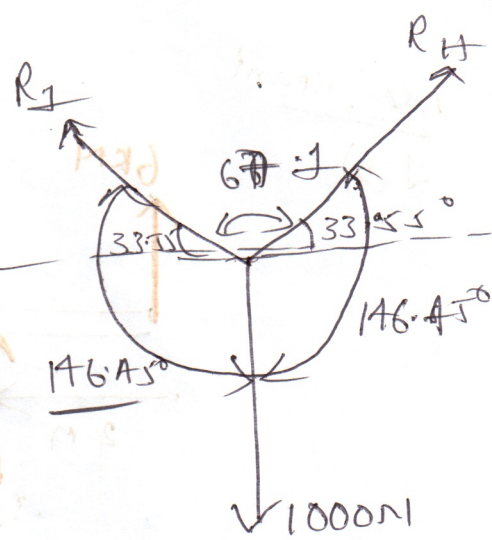
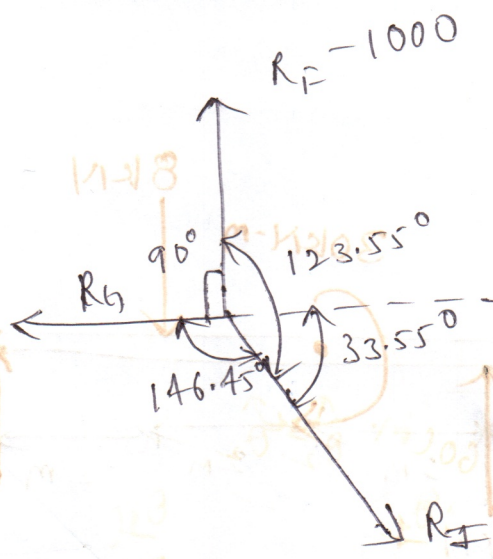
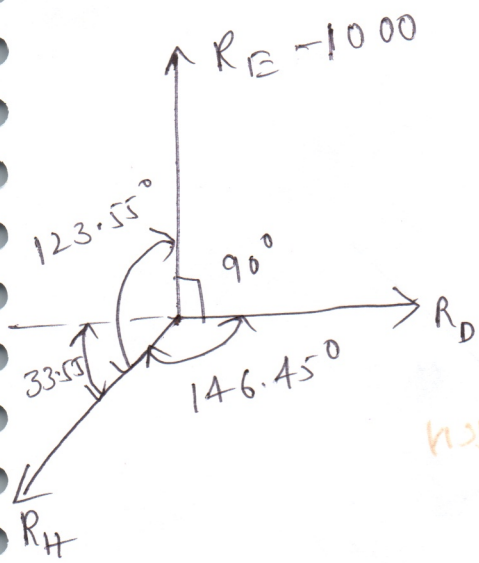
$$\theta_2 = 56.45^\circ$$

Sphere 1

Sphere = 2

Sphere 3





$$\frac{R_E - 1000}{\sin(146.45)} = \frac{R_H}{\sin 90^\circ}$$

$$= \frac{R_D}{\sin(123.55)}$$

$$\frac{R_D}{\sin(123.55)} = \frac{599.94}{1}$$

$$R_D = 599.94 \times \sin(123.55)$$

$$R_D = \underline{\underline{499.99 \text{ N}}}$$

$$\frac{R_E - 1000}{\sin(146.45)} = \frac{599.94}{1}$$

$$R_E = 1331.56 \text{ N}$$

$$\frac{R_E - 1000}{\sin(146.45)} = \frac{R_1}{\sin 90^\circ}$$

$$= \frac{R_G}{\sin(123.55)}$$

$$\frac{R_G}{\sin(123.55)} = \frac{599.94}{1}$$

$$R_G = 599.94 \times \sin(123.55)$$

$$R_G = 499.99 \text{ N}$$

$$\frac{R_E - 1000}{\sin(146.45)} = 599.94$$

$$R_E - 1000 = 331.56$$

$$= \underline{\underline{1331.56}}$$

$$\frac{R_1}{\sin(146.45)} = \frac{R_H}{\sin(146.45)}$$

$$= \frac{1000}{\sin 67.1}$$

$$R_1 = \frac{1000 \times \sin(146.45)}{\sin(67.1)}$$

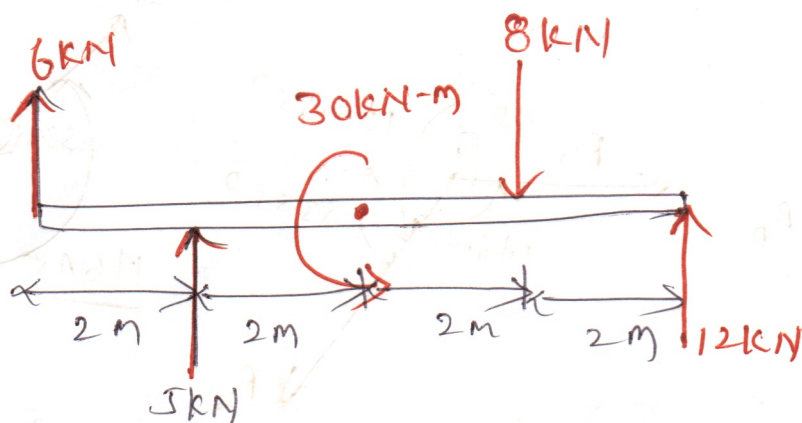
$$R_1 = 599.94 \text{ N}$$

$$R_H = \frac{1000 \times \sin(146.45)}{\sin(67.1)}$$

$$R_H = \underline{\underline{599.94 \text{ N}}}$$

Assignment

1(b)



Ans:

$$\sum F_x = 0$$

$$\sum F_y = 6 + 5 - 8 + 12 = 15 \text{ kN}$$

$$R = \sqrt{\sum F_x^2 + \sum F_y^2} = \sqrt{0^2 + 15^2}$$

$$R = 15 \text{ kN}$$

⇒ Varignon's

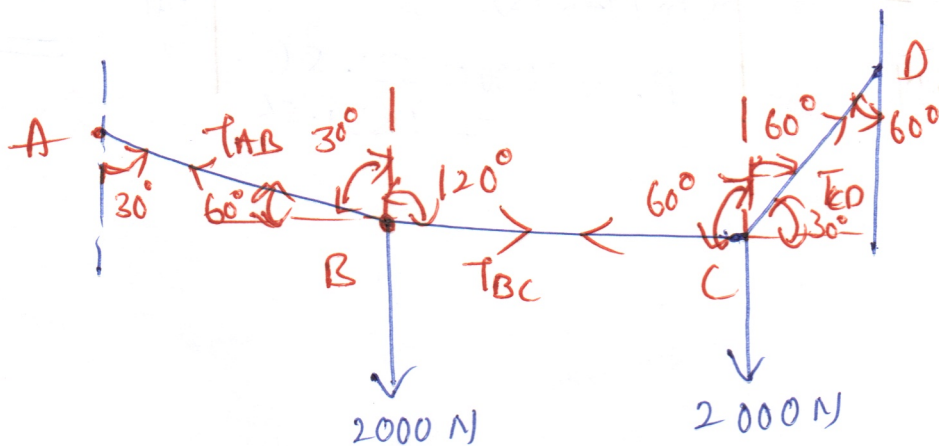
$$R \times d = (F_1 \times d_1) + (F_2 \times d_2) + (F_3 \times d_3) + \dots$$

$$15 \times x = (6 \times 0) + (5 \times 2) + (-8 \times 6) + (12 \times 8) + 30$$

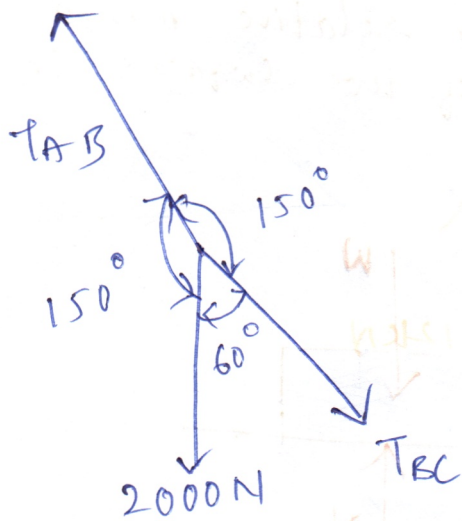
$$x = \underline{\underline{5.86 \text{ m}}}$$

$$R = 15 \text{ kN at } \underline{\underline{5.86 \text{ m}}}$$

2(b)



At 'B'

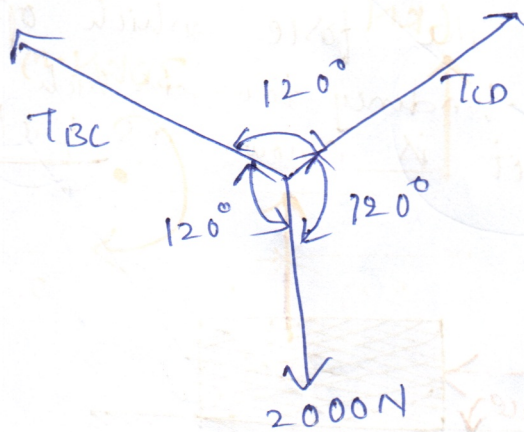


$$\Rightarrow \frac{2000\text{N}}{\sin 150^\circ} = \frac{T_{BC}}{\sin 150^\circ} = \frac{T_{AB}}{\sin 60^\circ}$$

$$T_{BC} = 2000\text{N}$$

$$T_{AB} = 3464.10\text{N}$$

At 'C'



$$\Rightarrow \frac{2000\text{N}}{\sin 120^\circ} = \frac{T_{BC}}{\sin 120^\circ} = \frac{T_{CD}}{\sin 120^\circ}$$

$$T_{BC} = 2000\text{N}$$

$$T_{CD} = 2000\text{N}$$