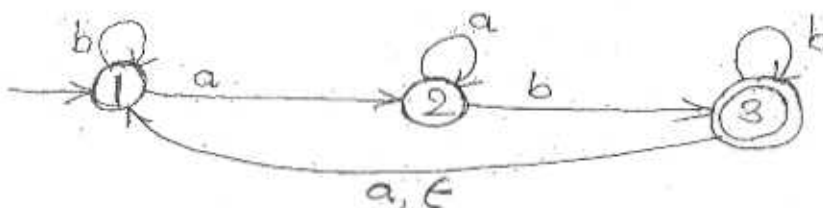


- N.B. :** (1) Question No. 1 is **compulsory**.
 (2) Attempt any **four** questions from remaining **six** questions.
 (3) Draw suitable **diagrams** wherever **necessary**.
 (4) Assume suitable data, if **necessary**.

1. (a) Differentiate between— 5
 (i) NFA and DFA
 (ii) Moore and Mealy Machines. 5
 (b) Design a Mealy machine for the language $(0 + 1)^*(00 + 11)$ and convert it to a Moore machine. 10
2. (a) Design a DFA to accept the following languages over the alphabet $\{0,1\}$ 10
 (i) $\{w \mid w \text{ starts with zero and has odd length or starts with one and has even length}\}$
 (ii) $\{w \mid \text{every odd position of } w \text{ is } 1\}$
 (b) Find a minimum state finite automata equivalent to the following automata— 10

	0	1
$\rightarrow a$	b	a
b	a	c
c	d	b
*d	d	a
e	d	f
f	g	e
g	f	g
h	g	d

3. (a) Give and explain the formal statement of Pumping Lemma for regular languages and use it to prove that the following language is not regular— 10
 $L = \{a^n b^{2^n} \mid n > 0\}$
 (b) Convert the following NFA with epsilon moves to a minimum state DFA accepting the same language :- 10



4. (a) Design a PDA for the language $L = \{ WCW^R \mid W \in \{a, b\}^* \}$ 10
- (b) Design a PDA for the following grammar and test whether 010^4 is in the language defined by that PDA. 10
- $$S \rightarrow 0BB$$
- $$B \rightarrow 0S \mid 1S \mid 0$$
5. (a) Reduce the following grammars to GNF 5
- (i) $S \rightarrow AB$
 $A \rightarrow BSB \mid BB \mid b$
- (ii) $B \rightarrow aAb \mid a$ 5
 $S \rightarrow AA \mid 1$
 $A \rightarrow SS \mid 1$
- (b) Convert the following grammars to CNF 10
- $$A \rightarrow aBb \mid bBa$$
- $$B \rightarrow aB \mid bB \mid \epsilon$$
6. (a) Design a Turing machine to accept the language $L = \{ a^n b^n \mid n \geq 1 \}$ 10
- (b) Design a Turing machine that computes a function $f(m, n) = m + n$ for the addition of 2 integers. 10
7. Write short notes on (any three) :- 20
- (a) Halting problem
- (b) Post Correspondence Problem
- (c) Chomsky Hierarchy
- (d) Intractable Problems
- (e) Greibach Theorem.